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# The Thesis Committee for Viraj Joshi certifies that this is the approved version of the following thesis:

# Massively Parallelized Multi-Task Reinforcement Learning

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### Massively Parallelized Multi-Task Reinforcement Learning

# by Viraj Joshi

### Thesis

Presented to the Faculty of the Graduate School of
The University of Texas at Austin
in Partial Fulfillment
of the Requirements
for the Degree of

Master of Science in Computer Science

The University of Texas at Austin
August 2025

#### **Abstract**

#### Massively Parallelized Multi-Task Reinforcement Learning

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Multi-task Reinforcement Learning (MTRL) has emerged as a critical training paradigm for applying reinforcement learning (RL) to a set of complex real-world robotic tasks, which demands a generalizable and robust policy. However, online MTRL has largely been limited to training policies using unstable off-policy algorithms in the slow and CPU-intensive low-parallelization regime. As a result, multi-task approaches for robotics have been dominated by distillation from single-task experts, behavioral cloning from expert demonstrations, or high-capacity sequence models trained with offline RL.

This thesis proposes to take advantage of recently popularized massively parallelized GPU-accelerated simulators for MTRL, which significantly accelerates data collection across multiple tasks by simulating heterogeneous scenes in parallel, and, as a result, offers a path to make MTRL a practical technique for multi-task learning. Concretely, we introduce a massively parallelized Multi-Task Benchmark (MT-Bench), a highly extendable, open-sourced benchmark featuring a broad distribution of 50 manipulation tasks, implemented using the GPU-accelerated simulator Isaac-Gym. In addition, MTBench includes re-implementations of state-of-the-art MTRL

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algorithms and architectures, providing a unified framework for evaluating their performance.

We perform extensive experiments to confirm whether the reliance on off-policy methods in the low-parallelization regime of existing MTRL literature holds in the massively parallel regime, and then evaluate a suite of MTRL approaches in this new regime using on-policy methods across our evaluation settings, emphasizing their significant speed advantage on MTBench. These experiments reveal key observations on applying existing MTRL approaches to the massively parallelized regime for robotic manipulation tasks, facilitating future directions for algorithmic research in MTRL. Code is available at https://github.com/Viraj-Joshi/MTBench

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# **Chapter 1: Introduction**

Deep reinforcement learning has been successfully applied to a wide range of decision-making tasks, including games (Mnih et al., 2013, 2015; Silver et al., 2016), continuous control tasks (Hwangbo et al., 2019; Akkaya et al., 2019; Wurman et al., 2022). While these applications have achieved remarkable task-specific performance, recent research trends in RL have shifted towards developing multi-task agents (Kalashnikov et al., 2021; Kumar et al., 2022; Fan et al., 2022; Chebotar et al., 2023) that are adaptable to new tasks (Kirk et al., 2023; Grigsby et al., 2024; Agarwal et al., 2024; Park et al., 2024) to meet the demand for robust, generalist robots for real-world deployment. This transition is partially motivated by high-capacity sequence models (Driess et al., 2023) in the NLP and computer vision fields, demonstrating strong performance on the vast number of diverse tasks they are pre-trained on and their ability to be fine-tuned to new tasks given a few demonstrations.

To facilitate the learning of generalist robotic agents, massively parallelized training ( $\gg 1000$  simulations) has gained popularity with the advancement of GPU-accelerated simulators (Liang et al., 2018b; Freeman et al., 2021; Makoviychuk et al., 2021; Mittal et al., 2023; Tao et al., 2024; Authors, 2024; Zakka et al., 2025). These simulators have significantly mitigated hardware and runtime constraints for learning single tasks, reducing experiment durations from days to minutes (Liang et al., 2018b; Allshire et al., 2021; Rudin et al., 2022). However, in the multi-task setting, no out-of-the-box solution exists to allocate a fixed number of environments per task on a single GPU, allowing for simultaneous diverse data collection and end-to-end MTRL training.

Additionally, massively parallelized online batched RL introduces new, non-trivial algorithmic challenges. For example, on-policy methods like PPO reach a saturation point beyond which additional parallelization no longer improves performance (Singla et al., 2024). Meanwhile, off-policy methods such as SAC (Haarnoja

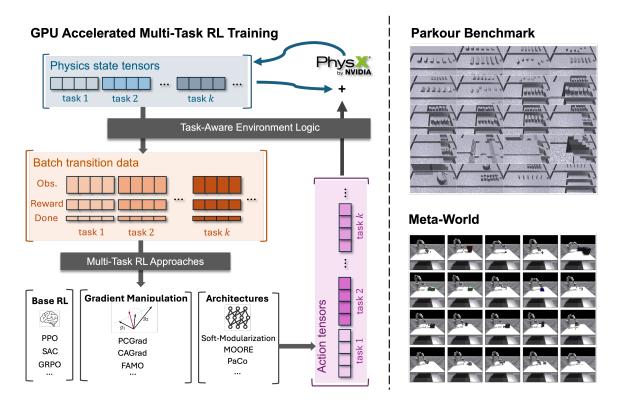


Figure 1.1: MTBench is a benchmark that leverages massive parallelism for MTRL in two robotics domains, Parkour and Meta-World, and provides MTRL implementations developed over the years. On the left, we see that IsaacGym's Tensor API enables us to assign blocks of environments to a desired task within the domain of interest, allowing for the setting and getting of the required information for RL training.

et al., 2018) and Q-Learning become unstable, losing their sample efficiency compared to on-policy methods as interaction with parallel environments unbalances the replay ratio (D'Oro et al., 2022; Li et al., 2023; Gallici et al., 2024).

On the other hand, learning general-purpose robotic agents has also motivated multi-task RL (MTRL), which aims to learn a single policy that maximizes average performance across multiple tasks. By leveraging task similarities (Pinto and Gupta, 2016), MTRL can enhance sample efficiency and performance over its training task set, compared to single-task experts. Prior research has primarily focused on addressing optimization challenges introduced by multiple learning signals, either from

a gradient-based perspective (Yu et al., 2020; Liu et al., 2024, 2023a) or through neural architecture design (Yang et al., 2020; Sodhani et al., 2021; Sun et al., 2022; Hendawy et al., 2024). In addition, these difficulties compound with extraordinarily long wall-clock training times due to the experience collection constraint using CPU-based simulators or require practically inaccessible hardware to alleviate this with libraries like Ray (Liang et al., 2018a).

For these reasons, multi-task approaches for robotics have been dominated by distillation from single-task experts (Teh et al., 2017; Reed et al., 2022; Hansen et al., 2023), behavioral cloning of expert demonstrations via vision and language backbones (O'Neill et al., 2024; Team et al., 2025), or offline RL (Chen et al., 2021; Kumar et al., 2022; Chebotar et al., 2023). With massive parallelization, research into making online MTRL competitive with other multi-task approaches is now feasible. We no longer need to deal with how to distribute experience collection and learning, instead utilizing on-policy algorithms, whose batches require data from current experience and, as a result, take advantage of the parallelization offered by GPU-based simulators.

To support large-scale MTRL experiments and advance the development of general-purpose robotic agents, this thesis introduces a massively parallelized Multi-Task Benchmark for robotics (MTBench). This open-sourced<sup>1</sup> benchmark includes a diverse set of 50 manipulation tasks (Figure 1.1), implemented using the GPU-accelerated simulator IsaacGym. Each task allows for procedurally generating infinitely many variations by modifying factors such as initial states and target goals. Additionally, MTBench integrates four base RL algorithms with seven state-of-theart MTRL algorithms and architectures, providing a unified framework to evaluate their performance.

Based on our experiments, we highlight the following major observations:

<sup>&</sup>lt;sup>1</sup>Code is available at https://github.com/Viraj-Joshi/MTBench

- (O1) On-Policy > Off-Policy: Choosing between on-policy RL methods or off-policy methods affects performance more than the MTRL scheme applied in massively parallel training. Off-policy RL's asymptotic performance struggles to match on-policy RL in this regime.
- (O2) Prioritize Wall-Clock Time over Sample Efficiency: In the massively parallel regime, wall-clock efficiency is more critical than sample efficiency, as experience collection scales easily with more GPUs and iterating over design decisions quickly is crucial to train a deployable policy.
- (O3) Value Learning is the Key Bottleneck in MTRL: Multi-task RL struggles primarily with value estimation rather than policy learning, as gradient conflicts mostly impact the critic function.
- (O4) Online MTRL performance scales with increasing number of tasks and model capacity. Up to this point, due to hardware and runtime constraints, it has been unclear how online MTRL scales, a property that has attracted great interest in single-task online RL and verified for offline multi-task techniques.

# Chapter 2: Background

#### 2.1 Multi-task reinforcement learning

The RL problem is defined as a finite-horizon, discrete-time Markov Decision Process (MDP). An MDP is a tuple  $\mathcal{M} = (\mathcal{S}, \mathcal{A}, \mathcal{P}, r, \mu, \gamma)$ , where  $\mathcal{S} \in \mathbb{R}^n$  denotes the continuous state space;  $\mathcal{A} \in \mathbb{R}^m$  denotes the continuous action space;  $\mathcal{P} : \mathcal{S} \times \mathcal{A} \to \Delta(\mathcal{S})$  denotes the stochastic transition dynamics;  $r : \mathcal{S} \times \mathcal{A} \to \mathbb{R}$  denotes the reward function;  $\mu : \mathcal{S} \to \Delta(\mathcal{S})$  denotes the initial state distribution; and  $\gamma \in [0,1)$  is the discount factor. In this work, we do not consider partially observable MDPs (POMDPs).

A policy parameterized by  $\theta$ ,  $\pi_{\theta}(a_t|s_t): \mathcal{S} \to \Delta(\mathcal{A})$ , is a probability distribution over actions conditioned on the current state. RL learns a policy  $\pi_{\theta}$  such that it maximizes the expected cumulative discounted return  $J(\theta) = \mathbb{E}_{s \sim \mu(s_0), a_t \sim \pi_{\theta}} [\sum_{t=0}^{T} \gamma^t r(s_t, a_t)]$ . Practically, we fix the number of steps per episode to a horizon length H.

**Problem statement** Each task  $\tau$  is sampled the task distribution  $p(\mathfrak{T})$  is a different MDP  $\mathfrak{M}^{\tau} = (\mathcal{S}^{\tau}, \mathcal{A}^{\tau}, \mathcal{P}^{\tau}, r^{\tau}, \mu^{\tau}, \gamma^{\tau})$ . MTRL learns a single policy  $\pi_{\theta}$  that maximizes the expected cumulative discounted return averaged across all tasks  $J(\theta) = \sum_{\tau \in \mathfrak{T}} J_{\tau}(\theta)$ . The only restriction we place upon  $\mathfrak{M}^{\tau}$  is that their union shares a universal state space  $\mathcal{S}$  and by appending a task embedding to the state, we give the policy the ability to distinguish what task each observation belongs to.

A change in any part of a  $\mathcal{M}^{\tau}$  constitutes what it means to define a new task. In locomotion, each task from  $p(\mathfrak{T})$  would be associated with a different goal to reach in the same control setting, so only  $r^{\tau}$  would differ across tasks. In tabletop manipulation like Meta-World, the tasks range from basic skills like pushing and grasping to more advanced skills combining these basic skills, so the goals  $(r^{\tau})$  and state spaces  $(\mathcal{S}^{\tau})$  vary across tasks.

#### 2.2 GPU Accelerated Simulation

Traditionally, simulators used for online RL rely on the coordination between CPU and GPU, where the CPU handles physics simulation and observation/reward calculations while the GPU handles neural network training and inference, leading to frequent slow memory transfers between the two many times during the RL training process. Now, GPU-accelerated simulators provide access to the results of physics simulation on the GPU, and as a result, we have all relevant data - observations, actions, and rewards - remaining on the GPU throughout the learning process. This development is the key to enabling massive parallelization. Consequently, as long as the GPU simulator can support simulating heterogeneous scenes in parallel, MTRL training that previously took days or weeks on hundreds of CPU workers (e.g., in Mujoco) can now finish in just hours or minutes and scales with the number of GPUs instead.

MTBench utilizes NVIDIA IsaacGym (Makoviychuk et al., 2021) as its GPU-accelerated robotics simulator. IsaacGym offers a Tensor API that directly exposes the physics state of the world in Python, so we can directly populate and manage massively parallelized heterogeneous scenes for all tasks, avoiding the communication overhead of synchronizing experience collection and neural network training across distributed systems (Nair et al., 2015; Mnih et al., 2016; Clemente et al., 2017; Espeholt et al., 2018; Horgan et al., 2018; Andrychowicz et al., 2020).

# Chapter 3: Benchmark

MTBench provides a unified framework for simulating a key robotics task: manipulation, within the IsaacGym simulator. We re-implement all 50 tasks from Meta-World (Yu et al., 2021), chosen for their simplicity, task diversity, and well-designed shaping rewards. As Figure 1.1 demonstrates, MTBench supports defining any custom subset of tasks and their associated number of environments, enabling researchers to craft different task sets of varying difficulty. The following section provides a detailed overview of this task domain and its evaluation settings.

#### 3.1 Challenges in Multi-Task Reinforcement Learning

MTRL, despite the simplicity of its extension from single-task RL, is a challenging problem. Here, we discuss the major challenges in MTRL, which motivate the design of MTBench.

Task Interference and Conflicting Objectives: The primary challenge in MTRL is negative transfer or task interference, where learning one task degrades performance on another. MTBench directly embodies this challenge by combining 50 diverse tabletop manipulation tasks (Meta-World). Within Meta-World itself, tasks range from simple pushes to complex pick-and-place sequences. The MT10 and MT50 settings specifically evaluate how algorithms cope with varying levels of task diversity and, as a result, potential interference.

Scalability with Increasing Number of Tasks: MTRL algorithms must scale effectively in performance and hardware requirements as the number of tasks increases. An algorithm that performs well on a small set of tasks (e.g., 10) can saturate or degrade when trained on a much larger one (e.g., 50 or more) due to representa-

tional capacity limits, optimization difficulties, catastrophic forgetting, or hardware limitations of making design decisions on small tasks sets. By leveraging massive parallelization, we make training and evaluation on larger task sets computationally feasible, encouraging reproducible research into scalable online MTRL solutions for the first time.

Computational and Runtime Constraints: MTRL research mainly utilizes sample-efficient off-policy RL methods due to the burdensome hardware requirements and runtime constraints of simulating tasks in parallel. In contrast, GPU-accelerated simulation facilitates the study of how RL algorithms behave at their asymptotic performance, enabling research into asymptotically higher performing on-policy methods and designing new off-policy methods in the massively parallel regime.

**Task Groupings:** MTBench allows for the easy configuration of what tasks and the number of parallel environments per task, enabling research into how task groupings affect learning efficiency and knowledge transfer.

Generalization Within and Across Tasks: A multi-task policy should generalize to variations within a task (e.g., different goal positions) and exhibit sample-efficient transfer to related, unseen tasks. Meta-World explicitly includes parametric goal variation within each task definition (e.g., varying initial object and target positions) to assess within-task generalization and provides a large enough task set to test if policies can transfer to unseen tasks.

#### 3.2 Meta-World

**Task Descriptions:** Meta-World consists of 50 tabletop manipulation tasks that require a simulated one-armed robot (Franka Robotics, 2017) to interact with one or two objects in various ways, such as pushing, picking, and placing. Within each task,

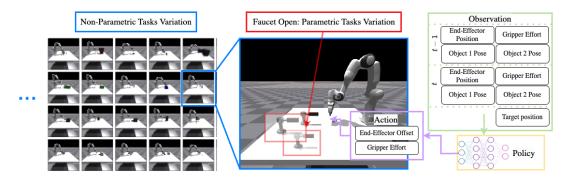


Figure 3.1: Illustrations of non-parametric tasks variation, parametric tasks variation of Faucet Open, and the observation and action space of the RL agents in the Meta-World benchmark.

Meta-World also provides parametric goal variation over the initial object position and target position. Each task has a pre-defined success criterion (Appendix 3.2). Our reimplementation of Meta-World makes necessary changes by updating Sawyer to Franka Emika Panda and tuning the reward function of each task to ensure that the tasks are individually solvable.

Observation and Action Spaces: Despite sharing a common state space dimensionality, the semantic meaning of certain dimensions varies across tasks. The state representation comprises the end-effector's 3D position in  $\mathbb{R}^3$ , the normalized gripper effort in  $\mathbb{R}^1$ , the object 3D positions from two objects in  $\mathbb{R}^6$ , and the quaternion representation of the two objects' orientation in  $\mathbb{R}^8$ . For tasks involving a single object, the state dimensions corresponding to a second object are set to zero. To account for temporal dependencies, the observation space concatenates the state representations from two consecutive time steps and appends the 3D position of the target goal. This results in a final observation vector of 39 dimensions. The action space is also consistent across the tasks, comprising of the displacement of the end-effector in  $\mathbb{R}^3$  and the normalized gripper effort in  $\mathbb{R}^1$ . An overview of the observation and action can be seen in Figure 3.1.

Evaluation Settings: Following Yu et al. (2021), we explicitly provide two evaluation settings: multi-task 10 (MT10) and multi-task 50 (MT50), where MT10 consists of 10 selected tasks and MT50 consists of all 50 tasks. During evaluation, we measure the success rates (SR) and the cumulative reward (R). When each environment has its parameters randomly varied every reset, the evaluation is referred to as MT10-rand and MT50-rand.

Reward Design: Our tasks utilize dense rewards, which provide continuous feedback to guide specific interactions between the robotic arm and objects. However, while the tasks themselves in Meta-World are defined independently of their reward functions, training performance is significantly influenced by reward design. We did our best to tune each reward function, starting from the original Meta-World task implementations, to account for the simulator differences and ensure each task is learnable in the single-task setting, but some tasks still achieve a 0% success rate (see C.5).

Evaluation Metrics: We report two evaluation metrics, the overall success rate (SR) averaged across tasks and the cumulative reward (R) achieved by the multi-task policy. Following the original Meta-World, success is a boolean indicating whether the robot brings the object within an  $\epsilon$  distance of the goal position at any point during the episode, which is less restrictive than works qualifying a success only if it occurs at the end of an episode. Mathematically, success occurs if  $||o - g||_2 < \epsilon$  is satisfied at least once, where o is the object position and g is the goal position.

Rather than defining the success rate as the maximum success rate over some evaluation rollouts as some previous work did, the success rate is defined as the proportion of success in the large number of environments that terminate every step. The reported success rate is this success rate averaged over the last 5 epochs of training. Due to massive parallelization, there is no need to separately roll out the learned policy in a separate process.

#### 3.3 Algorithms

We re-implement a suite of algorithms and MTRL approaches using a popular learning library RLGames (Makoviichuk and Makoviychuk, 2021), providing a unified benchmark for end-to-end vectorized MTRL training across many seeds and hyperparameters on a single GPU. Our benchmark is highly extensible towards new RL algorithms as well as approaches within the two axes of MTRL research, gradient manipulation, and neural architectures. There is a brief overview in Appendix B.

Base MTRL Algorithms We implement four RL algorithms: MT-PPO, a multitask version of Proximal Policy Optimization (Schulman et al., 2017); MT-GRPO (Shao et al., 2024), a variant of PPO introduced for language modeling but adapted here for control; MT-SAC, a multi-task version of Soft Actor-Critic (Haarnoja et al., 2018); and MT-PQN, a novel multi-task extension to Parallel Q-learning (Gallici et al., 2024) to handle continuous control problems. All algorithms are multi-task versions of their single-task counterparts, simply by augmenting the observation space with one-hot task embeddings or learnable task embeddings.

MTRL Schemes We implement two categories of MTRL schemes that can be easily combined with any of our base algorithms. The first category consists of gradient manipulation methods: PCGrad (Yu et al., 2020), CAGrad (Liu et al., 2024), and FAMO (Liu et al., 2023a). The second category consists of multi-task architectures: Soft-Modularization (Yang et al., 2020), CARE (Sodhani et al., 2021), PaCo (Sun et al., 2022), and MOORE (Hendawy et al., 2024). The prefix "MH" (multi-head) is prepended to name of the MTRL approach to denote one output head per task, and otherwise "SH" (single-head) to denote all tasks sharing one head.

# Chapter 4: Results

In this section, we inform future research directions for MTRL researchers through four key observations.

#### 4.1 Leveraging Massive Parallelism (O1, O2)

To illustrate how on-policy MTRL algorithms leverage massive parallelism, we first evaluate two on-policy algorithms, MT-PPO and MT-GRPO, alongside a traditional off-policy algorithm, MT-SAC, in Meta-World. Figure 4.1 presents the learning curves with respect to both wall-clock time and the number of environment interactions. Since this observation is concerned with answering what the best base MTRL algorithm is, we tune all aspects of each method to achieve its highest success rate, including using different network architectures. The full hyperparameter and model details are in Appendix D.

On-policy algorithms outperform traditional off-policy algorithms. Using MT-SAC as a representative of traditional off-policy algorithms used for MTRL, Figure 4.1 shows there is a substantial performance gap in success rate between MT-PPO and MT-SAC in both evaluation settings and, more relevant to researchers, a substantial wall-clock time difference as well (roughly 22 minutes and 12 hours after 200M frames of collected experience in MT10-rand). While MT-SAC can match MT-PPO's runtime by simply matching the gradient steps per epoch that MT-PPO takes, this results in a near-zero success rate. Furthermore, as the number of tasks increases to the MT50-rand setting, these gaps increase.

This indicates traditional off-policy methods in the end-to-end single GPU setting cannot effectively leverage increased environment interaction from massively parallelized simulators, where, in the absence of clever modifications, their stability,

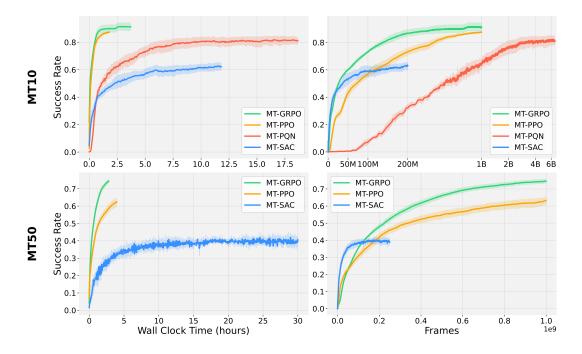


Figure 4.1: Vanilla MTRL performance in Meta-World. We report the pointwise 95% percentile bootstrap CIs of the average success rates using 10 seeds for each RL algorithm in the MT10-rand and MT50-rand evaluation settings. On-policy methods (MT-PPO, MT-GRPO) continue to improve with more experience, achieving a substantially higher success rate than the traditional off-policy method, MT-SAC, in substantially less time.

performance, and runtime greatly rely on the ratio of gradient updates to environment steps, i.e, update-to-data (UTD) ratio (D'Oro et al., 2022) being greater than or equal to 1.

### 4.2 Designing off-policy algorithms (O2)

While massive parallelization has made experience collection cheap, the promised sample efficiency of off-policy methods over on-policy methods is extremely desirable, as that would enable even faster iteration in training deployable policies. Research into effectively leveraging massive parallelism in off-policy methods is gaining popularity, but is either not yet adapted for the continuous control setting (Gallici et al.,

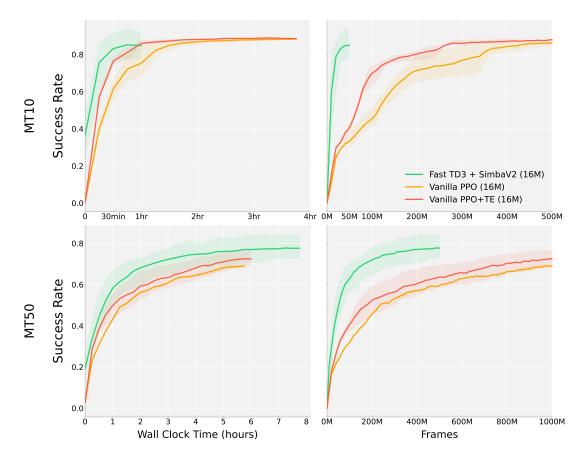


Figure 4.2: We compare the 95% bootstrapped confidence intervals of the average success rate using vanilla MT-PPO and MT-FastTD3-SimbaV2 for the MT10-rand and MT50-rand evaluation settings of Meta-World. Vanilla MT-PPO uses 500M frames per run over 3 seeds and MT-FastTD3-SimbaV2 uses 50/500M frames over 10 seeds. Exact numbers are in Table C.1

2024) or requires distributed asynchronous processes spread across GPUs (Li et al., 2023).

**PQN** In Figure 4.1, we adapted PQN (Gallici et al., 2024) to the multi-task continuous control setting. The details of our implementation are in Appendix A. Surprisingly, applying these simple changes to an originally discrete action algorithm and left to run long enough, MT-PQN can roughly match the performance of MT-PPO in MT10. Considering PQN's performance and stability, similar simulation throughput

to PPO, and lack of a replay buffer suggest that smartly adapting PQN to continuous control could be a promising research direction compared to actor-critic algorithms.

Fast-TD3 Recently, Fast-TD3 (Seo et al., 2025) has shown that TD3, alongside several other changes, outperforms PPO in its ability to leverage massive parallelism for single-task training, achieving higher asymptotic performance and faster wall-clock training times across several humanoid and quadruped tasks (Sferrazza et al., 2024; Mittal et al., 2023; Zakka et al., 2025). Simultaneously, BRC (Nauman et al., 2025) has shown that applying 3 existing tricks - 'Bigger, Regularized, Categorical' - to value-based multi-task learning in the low parallelization regime can stabilize MTRL's optimization challenges and result in state-of-the-art performance.

We follow these changes made in BRC and apply them in MTBench to create MT-FastTD3 (Figure 4.2). While PQN also uses regularization and residual connections, BRC's use of a distributional critic and reward normalization is the key difference that overcomes the difficulty of value estimation in an extremely low UTD setting. MT-FastTD3 has a final performance advantage, sample efficiency, and wall-clock training time advantage over MT-PPO using an MLP of equal parameter count in both evaluation settings, with final performance quite close to that of MT-PPO using the best MTRL architectures or gradient manipulation methods included in MTBench (Figure 4.3).

#### 4.3 MTRL Approaches (O2, O3)

Figure 4.3 reports the 95% bootstrap confidence intervals of the mean success rate following Agarwal et al. (2021) of all MTRL approaches using MT-PPO. All of the gradient manipulation methods use the same three-layer MLP neural networks.

Multi-task architectures show greater performance gains with larger task sets. As shown in Figure 4.5, the benefits of multi-task architectures become more

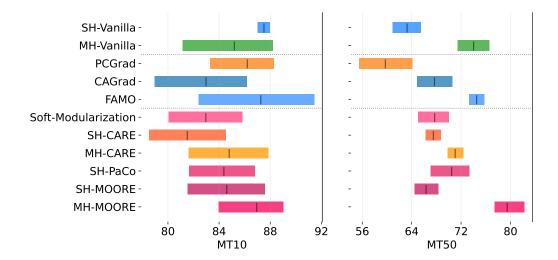


Figure 4.3: We compare the 95% bootstrapped confidence intervals of the average success rate of all MTRL approaches using MT-PPO for the MT10-rand and MT50-rand evaluation settings of Meta-World. Each approach uses 1B frames per run over 10 seeds. Exact numbers are in Table C.2.

pronounced as the number of tasks increases. In MT10-rand, vanilla PPO asymptotically outperforms advanced multi-task architectures. However, in MT50-rand, the best-performing multi-task architecture, MH-MOORE, surpasses the vanilla approach by roughly 16% in success rate. This improvement is likely due to enhanced knowledge sharing that only manifests in training diverse enough tasks, such as MT50.

Resolving gradient conflict consistently improves the performance. Gradient manipulation can outperform or match vanilla MT-PPO across all evaluation settings (middle section of Figure 4.3). This suggests that gradient conflicts are still a common optimization challenge in multi-task RL problems. Among these methods, FAMO shows superior scalability with respect to an increasing number of tasks in its success rate as well as wall-clock training time, likely due to its simple strategy of adaptive task weighting, which eliminates the need for backpropagating through each task's loss.

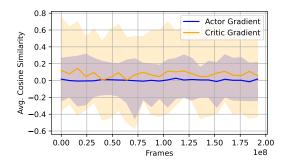


Figure 4.4: The average gradient cosine similarity across all task pairs in MT10-rand for both actor and critic networks. The shadow areas represent the ranges between minimum and maximum cosine similarities.

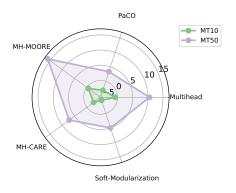


Figure 4.5: Success rate (SR) differences of five neural network architectures relative to the Vanilla baseline in MT10 and MT50.

Value learning is the key bottleneck in MTRL. Prior research in MTRL has shown that addressing gradient conflicts improves performance in off-policy actor-critic RL algorithms like SAC. Our benchmarking results extend this observation to on-policy actor-critic algorithms, demonstrating that gradient conflicts also arise when learning the critic network in PPO. However, we do not observe similar conflicts in policy optimization. Hence, our gradient manipulation algorithms are only applied to the critic gradients. This observation aligns with prior work using an actor-critic algorithm for large-scale multi-task learning (Hessel et al., 2019). Figure 4.4 shows the average cosine similarity across all task gradient pairs for both actor and critic networks, where critic gradients manifest lower minimum similarities.

# 4.4 Reward Sparsity

In Meta-World, tasks utilize dense rewards, which provide continuous feed-back to guide specific interactions between the robotic arm and objects. In contrast, another popular robotic domain, locomotion, often employs a sparse reward scheme, where the agent is rewarded solely for maintaining forward velocity toward waypoints, without receiving additional signals for intermediate behaviors (Liang et al., 2024).

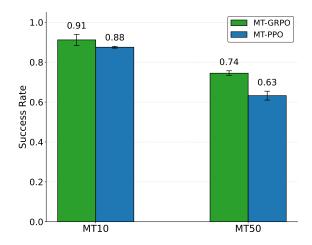


Figure 4.6: Eliminating the difficulty of critic estimation consistently improves performance over most MTRL approaches using MT-PPO when comparing the 95% bootstrapped CI of average success rates in Meta-World. Each approach uses 1B frames per run over 10 seeds.

Dense rewards increase the complexity of multi-task critic learning. In multi-task RL, dense reward functions introduce challenges for critic learning, as different tasks exhibit varying reward distributions and gradient magnitudes. We can see in Figure 4.3 that addressing these conflicts in dense-reward multi-task settings such as Meta-World can improve performance. However, the performance gains are relatively marginal in a sparse-reward multi-task setting (Joshi et al., 2025).

# 4.5 Learning without a Critic (O3)

To further investigate the impact of gradient conflict from the critic in MTRL, we can eliminate the critic by increasing the horizon length in MT-PPO to be equal to the length of the episode. In fact, this is equivalent to implementing MT-GRPO (Shao et al., 2024) without the KL-divergence term because for each task T (instead of each prompt), we already roll out a group of responses  $\{o_1 \dots o_G\}$  and compute the episodic returns  $R(\mathbf{T}, \mathbf{o}_i)$ . All that is left is to set the advantage  $\hat{A}_{i,j}$  of all actions j in response i to the normalized episodic return with respect to its group as GRPO

does:

$$\hat{A}_{i,j} = \frac{R(\mathbf{T}, \mathbf{o}_i) - \text{mean}(\{R(\mathbf{T}, \mathbf{o}_1), \dots, R(\mathbf{T}, \mathbf{o}_G)\})}{\text{std}(\{R(\mathbf{T}, \mathbf{o}_1), \dots, R(\mathbf{T}, \mathbf{o}_G)\})}$$
(4.1)

In our implementation, we slightly modify the advantage  $\hat{A}_{i,j}$  to be the group-normalized estimate of the dense reward-to-go from each action j, i.e the same as advantage normalization in PPO but on each per-task batch of size ( $G \times$  horizon length). There was a small performance uplift in using this variation, most likely due to variance reduction. Unlike PPO, we found there was no practical performance difference in normalizing the advantage across the entire batch first.

We also find that the prescriptions of Dr. GRPO (Liu et al., 2025) to address 1) the response-level length bias and 2) question (task)-level bias were not necessary. Since our robot always rolls out to a fixed episode length, there is no response-level length bias to correct. However, resolving task-level bias by removing the division by the standard deviation of returns (even after batch normalization) led to poor performance.

MTRL can benefit from eliminating gradient conflict in the critic. In the dense reward setting, Figure 4.6 indicates that MT-GRPO is a simple baseline that nearly outperforms every MTRL approach (except MH-MOORE and FAMO in MT-50) using the same hyperparameters as MT-PPO and no baked-in MTRL design. Of course, this is only possible when the entire batch can fit into the GPU, a setting not possible with massively parallelized *pixel-based* observations.

Massive Parallelism is well-suited for reducing bias from an imperfect critic. By directly using Monte Carlo returns instead of bootstrapping, we effectively eliminate the bias introduced by imperfect critic estimation. This approach represents a clear bias-variance tradeoff: while removing the critic increases the variance of our gradient estimates, this increased variance can be effectively mitigated

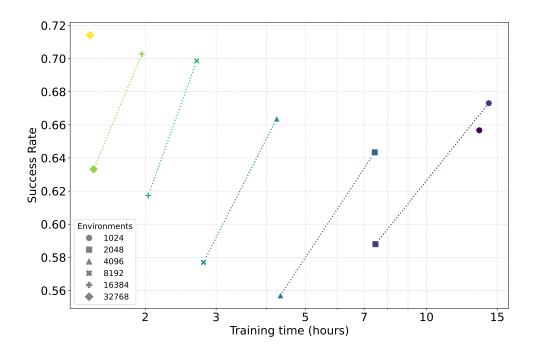


Figure 4.7: Average Success Rate when using an equal number of gradient updates across different batch sizes in Meta-World's MT50. The same color represents the same batch size, with the lightest color representing a batch size of 2097152 and the darkest 32768. Linked shapes indicate the same batch size. The upper left is the best region because we are concerned with wall-clock time in this regime, not sample efficiency. See Table C.3 for exact numbers

through large batches (of size episode length times the number of parallel environments) made possible by massive parallelization (Sutton et al., 1999).

#### 4.6 Decomposing the Batch (O2,O3,O4)

One key lever to final performance is the number of parallel environments. Another is the rollout horizon before a PPO update is performed. Thus, each epoch's batch size for on-policy methods is solely determined by the  $N_{envs} \times N_{rollout}$ . Similar to Mayor et al. (2025)'s investigation, we also observed that increasing batch size through either component yields increasing performance, but only up to a point. However, in the multi-task setting, both levers are particularly valuable for slightly different

reasons. Increasing the number of environments increases state coverage (thus better exploration), and increasing the rollout length closer to the episode length eases the difficulty of value estimation.

Interestingly, SAPG (Singla et al., 2024) attributes batch size saturation in the massively parallel regime to sampling actions from a Gaussian policy, which results in most actions being near the mean, causing most environments to execute similar trajectories. To enforce exploration, SAPG splits the available environments into distinct leader  $\pi_1$  and follower  $\pi_2, \ldots, \pi_M$  policies rather than training a single policy across all environments. Alternatively, one could train an expressive, multi-modal policy (McAllister et al., 2025). Both could be avenues to break this barrier.

For researchers, batch size also creates an important tradeoff with wall-clock training time. For a constant batch size, increasing the number of environments implies the rollout horizon must decrease, which increases the frequency of gradient updates. Following Rudin et al. (2022), we see that the largest batch size tested of size  $32768 \times 64$  is approaching the performance of MT-GRPO in Figure 4.6 with a much bigger batch size of  $24576 \times 150$ . We find that given equal parameter count, MT-GRPO is an upper bound on vanilla MT-PPO's final performance by examining Figure 4.6 and all experiments in Section 4.7.

# 4.7 Scaling MTRL (O4)

The reduced wall-clock training time using MTBench enables researchers to scale their experiments, allowing them to understand the behavior of online MTRL relative to alternative techniques that can train massively multi-task agents. Such a platform could create a recipe that establishes an MTRL "scaling law" analogous to those in NLP and CV, defined by three key properties:

1. As the number of training tasks (data) and model capacity (compute) increase, performance scales on the shared task set.

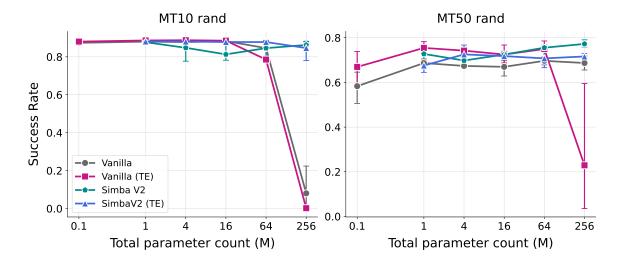


Figure 4.8: MTRL enables parameter scaling when examining the 95% bootstrapped CI of the final success rate in Meta-World's evaluation settings. We can scale the critic parameters to 256M parameters, far beyond single-task RL, in MT50-rand. The MLP-based variants use 1B frames over 3 seeds, and the SimbaV2 variants use 500M frames over 3 seeds. See Table C.4 for exact numbers.

- 2. Given a fixed compute budget, a multi-task learner achieves higher aggregate performance than dividing that same budget among single-task learners.
- 3. The number of frames to at least match the performance of a single-task expert on an additional task decreases as the number of pre-training tasks used in the online phase increases, i.e., pre-training enables sample-efficient transfer.

MTRL enables parameter scaling. We first address whether satisfying 1) is possible by scaling model capacity. In single-task RL, vanilla MLPs fail to scale due to a loss of plasticity and increased neuron dormancy (Obando-Ceron et al., 2024), as larger networks tend to overfit early in training to a non-stationary data distribution. In contrast, we find that scaling the critic's capacity is possible in the multi-task regime, and that task diversity exerts sufficient pressure on a large network to maintain plasticity, exactly as McLean et al. (2025) found, in Figure 4.8. Scaling the actor's capacity is detrimental, and best to leave it fixed as Nauman et al.

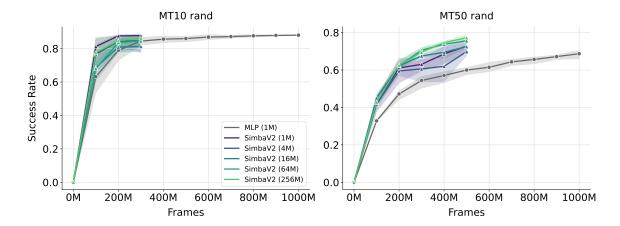


Figure 4.9: Using the MLP that scaled the best struggles in comparison to more advanced architectures with equivalent parameter count like SimbaV2 that are meant to stabilize learning and has minimal overhead, unlike neural architectures introduced over the years in Section 4.3 when examining the 95% bootstrapped CI of the final success rate of Meta-World's evaluation settings. We chose the 1M parameter count MLP for comparison it does the best among MLP capacities. The MLP uses 1B frames over 3 seeds, and the SimbaV2 variants use 500M frames over 3 seeds.

(2024) noted in the single-task case. Surprisingly, many specialized architectures that promised to leverage task similarities with advanced architectures in Section 4.3 are subsumed in final performance by MLPs of an equivalent parameter count, again as McLean et al. (2025) also found.

MLPs are not the optimal way to scale parameters for MTRL. Architectures originally designed to stabilize value-based learning when scaling models for single-task RL (Nauman et al., 2024; Lee et al., 2025) offer sample-efficiency and performance benefits over vanilla MLPs in the face of optimization challenges introduced in the multi-task setting (Figure 4.9). This suggests that architectural design for stabilizing norms remains valuable in the on-policy setting.

Furthermore, we ablated this scaling with learnable task embeddings (denoted TE), observing a small performance degradation, despite the conventional wisdom that this provides networks an explicit mechanism to learn task-specific structure

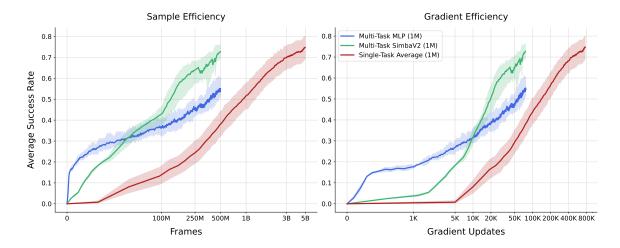


Figure 4.10: Multi-task learners are superior to single-task specialists in sample (left) and compute(right) efficiency when examining the 95% bootstrapped CI of the average success rate in Meta-World's evaluation settings. The MLP approach uses 1B frames over 3 seeds, the SimbaV2 variant uses 500M frames over 3 seeds, and the single-task RL runs use 100M frames over 3 seeds. All approaches use a critic parameter count of size 1M.

(Nauman et al., 2025). We attempted to scale BRO similarly (Nauman et al., 2024), but found that Simba (Lee et al., 2025) scaled noticeably better. On-policy methods do not suffer from the challenges of estimating a non-stationary target for critic learning, so in this setting, BRO's use of layer norm may overly regularize the network.

#### Training critics with cross-entropy could lead to superior parameter scal-

ing. Naturally, Figure 4.8 shows that parameter scaling eventually leads to a performance plateau given a fixed number of tasks. This curve could be shifted upward with more tasks or a better training objective. In fact, Nauman et al. (2025) applied a categorical distributional critic with SAC to improve final performance. Cross-entropy is scale-invariant, which is particularly salient for multi-task RL, where reward scales differ among tasks throughout training. Combining a distributional critic in the multi-task on-policy setting is an interesting future line of work (Voelcker et al., 2025). Such a combination can further leverage model capacity to enhance final performance, as it produces more expressive representations using the cross-entropy objective (Fare-

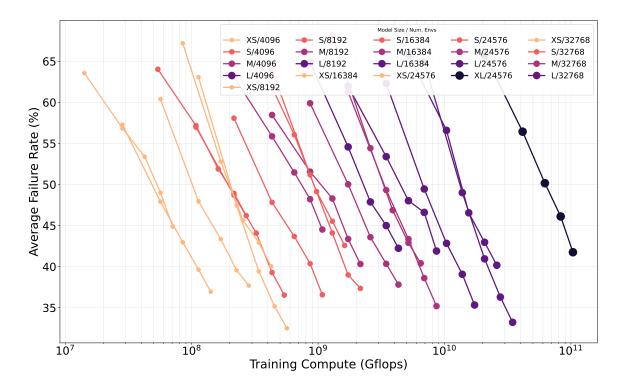


Figure 4.11: Online on-policy MTRL does not follow the conventional wisdom of offline, large-scale robot learning (at least with 50 tasks) that large multi-task learners are more computationally efficient when examining the mean failure rate in Meta-World's MT50 evaluation setting. The model sizes correspond to the critic capacities in Figure 4.8 and the rollout horizon remains unchanged. Each variant uses 500M frames over 3 seeds.

brother et al., 2024).

Multi-Task learners are sample and compute efficient. We verify whether the premise of multi-task learning holds, that a multi-task learner is at least as performant as the average of single-task specialists and benefits from positive transfer. Figure 4.10 presents this assertion in terms of both sample efficiency and gradient efficiency. Each task of MT50 is run for 100M frames to ensure convergence of all tasks (although some tasks converge in as little as 10M frames), where how far the average of all specialists' curves is shifted right (more inefficient) relative to a multi-task learner increases with the number of tasks. In other words, at a relatively low number of tasks (50), the

average of specialists is a simple solution that may have a higher success rate than a multi-task learner, but becomes more computationally wasteful as MTRL begins to scale in the number of tasks.

Furthermore, Figure 4.10 also shows that while multi-task MLPs are not as performant as the average final performance of single-task learners, they still offer significant efficiency gains. SimbaV2 increases this gap to a 10x sample efficiency and gradient efficiency advantage when compared at the final performance of the average of single-task learners.

#### Larger Multi-Task Learners are not necessarily more compute-efficient.

In imitation learning or supervised learning, we've seen that small models become compute-inefficient, given a fixed dataset, by training for longer to try to match the performance of larger models (Peebles and Xie, 2023). We can similarly characterize the computational efficiency of an online multi-task learner. In this setting, we again have two levers to pull: parameter count and the number of environments. In Figure 4.11, we plot error rate (1-success rate) as a function of total training compute over combinations of batch sizes (number of environments) and MLP model capacities. Although the plot suggests that continuing to scale compute would lower the failure rate, these runs have converged and are simply an artifact of using large scale on the x-axis. More importantly, we find that larger models with large batch sizes are more computationally *inefficient* to reach similar levels of performance as smaller models with smaller batch sizes. Runs with large batch sizes simply have reduced wall-clock time due to fewer gradient updates. As this setting develops better architectures, algorithms, and adds more tasks, this plot may prove useful as it has for other domains.

# Chapter 5: Related Work

#### 5.1 Speeding up Deep RL

As deep RL gained prominence with superhuman performance at Atari games (Mnih et al., 2013, 2015) using deep Q networks (DQN), it became clear that its success would now rely on scaling the size of experiments by simulating a significant amount of experience, requiring ever longer training time and more intensive compute requirements. This inspired research on how to parallelize or distribute deep RL to speed up training/iterate faster, and scale to larger/harder problems. In some sense, end-to-end deep RL on GPUs is the culmination of these efforts.

Gorila (Nair et al., 2015) was the first work to propose distributing deep RL by scaling DQN for Atari. This required three components that mirror distributed approach for supervised learning, DistBelief (Dean et al., 2012): 1) rollout workers (actors) that gather experience across CPU processes, 2) learners that compute gradients of each actor's replica model parameters on randomly sampled batches from a per-actor or global experience replay buffer, and 3) sharded parameter servers that asynchronously apply the gradients sent from the learners to the model and periodically communicate the updated copy of model parameters back to the actor-learners. However, Gorila required quite a bit of hardware - a compute cluster of one hundred actors, one hundred learners, and 31 parameter servers.

A3C (Mnih et al., 2016) greatly simplified this approach by distributing actorlearners over threads on 1 multi-core CPU, where each actor-learner thread interacts with its environment instance using its own policy/value networks for a fixed number of timesteps, computes an on-policy gradient locally from its rollout, and asynchronously updates the global parameter set without any locking. As a result, there is no network communication overhead involved with parameter servers or using a global experience replay. A3C's simplicity resulted in shorter training times and better performance in Atari than Gorila, foreshadowing that it is possible to achieve state-of-the-art RL performance without scaling to practically out-of-reach hardware. Critically, A3C was a general method that demonstrated distributed deep RL beyond Q-learning to n-step Q learning and on-policy advantage actor-critic.

Unlike Gorila, when scaling to hundreds of actors, A3C's asynchronous parameter updates cause policy lag, meaning a thread's policy gradients can become stale or off-policy as the updates from other threads could have significantly changed the global parameter set by the time a thread manages to have its gradient applied. This not only leads to poor performance but fundamentally limits its application to multi-task learning, where each actor is a task.

In contrast, batched A2C (Clemente et al., 2017) synchronously applies a batch of actions sampled from a single master policy to all environment instances (managed by worker processes) for a fixed number of timesteps, subsequently computing and updating the policy using the gradient over this batch of experience using 1 learner on a GPU, exactly like MTBench. Synchronous distributed RL can effectively leverage a GPU with batched updates to reduce training time. As a result, this framework scales to hundreds of actors (like Gorila) by avoiding asynchronous updates and remains on one machine (like A3C).

A2C worked well for Atari, but in more complicated domains, e.g, GPU-accelerated 3D simulators, where we can only simulate one environment instance per GPU, stepping among environment instances will lead to waiting for the slowest environment to complete at each timestep, hindering throughput when variance in step times is high. DD-PPO resolves this drawback of A2C for resource-intensive actors with impressive results (Wijmans et al., 2019; Chen et al., 2022a), scaling to hundreds of GPUs in PointGoal navigation by preempting the straggling actors once a threshold of total actors has finished. With multiple GPUs, DD-PPO can be viewed as an extension of A2C. After each GPU computes its policy gradient from the experience collected by its actor, DD-PPO synchronously combines all gradients using

AllReduce, and applies this averaged gradient before starting the next rollout.

Other distributed systems like IMPALA (Espeholt et al., 2018) leveraged this decoupling between handling policy inference/training on the GPU and collecting experience on CPU cores, resulting in 30 times the throughput as A3C and, as a result, enabling multi-task learning reminiscent of MTBench by simply allocating actors to tasks. IMPALA has each distributed actor generate n-step trajectories (instead of gradients like A3C) and asynchronously feeds them into a shared queue, from which a central, GPU-based learner continuously draws mini-batches, computes gradients, and optimizes the actor-critic over mini-batches of received trajectories. While the high throughput stems directly from the actors and the learner operating concurrently without waiting for each other, such a procedure causes the same policy lag problem encountered by A3C. IMPALA addresses this with an importance sampling correction called V-trace.

Problematically, work in distributed RL outside Atari in more realistic and challenging domains (Wijmans et al., 2019; Andrychowicz et al., 2020; OpenAI et al., 2019), requires scaling to potentially thousands of CPU cores and hundreds of GPUs to achieve state-of-the-art performance, presenting a serious challenge for academic researchers to obtain the necessary hardware for research.

The ingredients to practical multi-task RL were present in distributed RL, but it was not until a wave of recent GPU-accelerated simulators (Liang et al., 2018b; Freeman et al., 2021; Makoviychuk et al., 2021; Mittal et al., 2023; Tao et al., 2024; Authors, 2024; Zakka et al., 2025) that the experience collection constraint was alleviated for single-task RL by being able to simulate orders of magnitude faster than a CPU-based simulator. This obviated the need for demanding hardware requirements and the overhead in communication costs of sending gradients and parameters across machines/CPUs using distributed RL methods. As a result, we've seen striking success in rapidly learning single-task RL policies beyond games to real-world, complex, robotic control tasks (Allshire et al., 2021; Rudin et al., 2022; Seo et al., 2025) with

the modest, minimum hardware requirement of 1 GPU.

#### 5.2 GPU-Accelerated Benchmarks

Several RL benchmarks have arisen as a result of GPU-accelerated simulation, mainly in JAX-based game environments (Cobbe et al., 2020; Lange, 2022; Morad et al., 2023; Bonnet et al., 2023; Koyamada et al., 2023; Rutherford et al., 2024; Matthews et al., 2024). In contrast, a relatively small number of rigid-body robotic tasks are bundled with GPU-accelerated simulators or soft-body robotic tasks with other simulation platforms (Chen et al., 2022b; Xing et al., 2024). To truly represent the multi-task challenge, MTBench precludes adapting popular, small task sets, e.g, robot tasks from DMControl (Tassa et al., 2018) or robosuite (Zhu et al., 2020), or combining them since their tasks significantly overlap, resulting in low diversity. For manipulation, Meta-World resolves both of these concerns and maintains continuity of MTRL research over other large task set alternatives like RLBench (James et al., 2020) or LIBERO (Liu et al., 2023b).

### Chapter 6: Future Directions

While MTBench opens up new advances in online MTRL by enabling algorithm designers to quickly iterate on their ideas, MTBench is also applicable to any area of sequential decision making that would benefit from increased simulation speed.

#### 6.1 Offline to online

Most notably, our work fits neatly into the dominant "pre-train, then fine-tune" paradigm, where pretraining a high-capacity model on a large, diverse dataset and then fine-tuning on a small amount of domain-specific data to specialize on downstream tasks has led to the success of foundation models in NLP and vision that outperform specialist systems. We have seen this analogously play out in decision-making in many forms. For example, some works use egocentric human videos to pretrain visual representations using self-supervised objectives that can be leveraged for downstream online policy learning of robotic manipulation tasks (Xiao et al., 2022; Nair et al., 2022). More recently, others have leveraged the common-sense capabilities of vision-language models (Driess et al., 2023; Chen et al., 2023) as a pretrained model and fine-tuned on aggregated teleoperated robot demonstrations using behavioral cloning (O'Neill et al., 2024; Shi et al., 2025) to produce vision-language action models.

Pre-trained multi-task policies from human demonstrations provide a valuable prior, capturing smooth, human-like motions, but may yield suboptimal task performance due to compounding error from out-of-distribution scenarios. *RL fine-tuning* offers a way to overcome this limitation to improve task success rates while retaining human-preferred motions. MTBench can significantly speed up the evaluation of methods for such RL fine-tuning of pre-trained policies (Nakamoto et al., 2023; Yuan et al., 2024; Hu et al., 2024; Wagenmaker et al., 2025). By facilitating rapid online

training and experience collection across multiple tasks simultaneously, MTBench can accelerate research into the offline to online paradigm for robotics.

### 6.2 Data collection

More directly, MTBench's rapid throughput can collect experience from expert RL policies for distillation. We can also collect RL training histories across tasks in parallel for use in collecting offline RL datasets or enabling algorithm distillation, learning to learn the RL algorithm itself (Laskin et al., 2022).

#### 6.3 Automated Task Creation

While MTBench is the first of its kind to enable rapid GPU-accelerated research into multi-task robotic manipulation with its broad distribution of 50 tasks, it pales in comparison to the breadth of tasks typically provided in benchmarks for alternate methods to train generalist agents (Park et al., 2024; O'Neill et al., 2024) and requires significant manual effort to design environments, impeding its scalability. MTBench is a valuable platform for which generative AI pipelines like digital cousins (Dai et al., 2024) as well as automated reward design (Ma et al., 2024) could significantly accelerate the addition of new tasks.

Specifically, reward design remains a major pain point of towards the extensibility of MTBench. While MTBench is as faithful as possible to the original Meta-World (Yu et al., 2021), all tasks are still not individually solvable. Tuning these reward functions (manually or automatically) would lead to very different conclusions.

#### 6.4 Pixel-Based Observations

MTBench is limited to state-based MTRL to retain high simulation throughput. Reimplementing MTBench in NVIDIA IsaacLab would retain high throughput

batched A2C with pixel-based observations by virtue of its tiled rendering system. However, using pixel-based observations will never be as fast as state-based MTRL and shifts the focus of the benchmark from algorithmic development to concerns of real-world deployment, such as in locomotion (Agarwal et al., 2023). Nevertheless, it presents an interesting future line of work for massively parallel MTRL.

# Chapter 7: Conclusion

We present MTBench, a highly extensible MTRL benchmark that includes a GPU-accelerated implementation of Meta-World tasks, extensive gradient manipulation and neural architecture baselines, and an initial study on the current state as well as future directions of MTRL in the massively parallel regime.

We are particularly excited about the potential for this benchmark to accelerate research in online RL and make it easier for researchers to move beyond game-based environments.

## Appendix A: PQN

Parallel Q-learning (Gallici et al., 2024) is a recent off-policy TD method designed for discrete action spaces and massively parallelized GPU-based simulators that casts aside the tricks introduced over the years to stabilize deep Q learning such as replay buffers (Mnih et al., 2013), target networks (Mnih et al., 2015) and double Q-networks (Wang et al., 2016) by simply introducing regularization in the function approximator like LayerNorm (Ba et al., 2016) or BatchNorm (Ioffe and Szegedy, 2015). Coupled with this architectural change, PQN exploits vectorized environments by collecting experience in parallel for T steps.

As our action space is continuous, we follow Seyde et al. (2023) to present a modified version of PQN through bang-off-bang control and treating continuous control as a M agent multi-agent problem where each actuator is an agent in a cooperative game. Then, the state-action function  $Q_{\theta}(\mathbf{s_t}, \mathbf{a_t})$  is factorized as the average of M different state-action functions  $Q_{\theta}^i(\mathbf{s_t}, a_t^i)$ , where the *i*th state-action function predicts the value of the bang-off-bang actions in *i*th action dimension following Sunehag et al. (2017).

$$Q_{\theta}(\mathbf{s_t}, \mathbf{a_t})) = \frac{1}{M} \sum_{i=1}^{M} Q_{\theta}^{i}(\mathbf{s_t}, a_t^{i})$$
(A.1)

In code, the output of the state-action function is of size  $(B, M, n_b)$  where B is the batch size, m is the action dimension/number of actuators (4) and  $n_b$  is the number of bins per dimension (3). The action value is recovered by first taking the max over the bin dimension and then the mean over the action dimension. By taking the max over the bin dimension, Seyde et al. (2023) sidestepped taking a max over the continuous action space. Now, we can compute the Bellman target and in the case of PQN, n-step returns.

$$y_t = r(\mathbf{s_t}, \mathbf{a_t}) + \gamma \frac{1}{M} \sum_{i=1}^{M} \max_{a_{t+1}^i} Q_{\theta}^i(\mathbf{s_{t+1}}, a_{t+1}^i)$$
 (A.2)

## Appendix B: MTRL Approaches

Here, we present an overview of each state-of-the-art MTRL baseline in MT-Bench.

### B.1 Gradient manipulation methods

Gradient manipulation methods compute a new gradient of the multi-task objective, incurring the overhead of solving an optimization problem per iteration as well as storing and computing K task gradients.

**PCGrad:** Projecting Conflicting Gradients (Yu et al., 2020) observe when the gradients of any two task objectives  $l_i$  conflict ( defined as having negative cosine similarity) and when their magnitudes are sufficiently different, optimization using the average gradient will cause negative transfer. It attempts to resolve gradient confliction by a simple procedure manipulating each task gradient  $\nabla l_i$  to be the result of iteratively removing the conflict with each task gradient  $\nabla l_j$ ,  $\forall j \in [K], j \neq i$ .

$$\nabla l_i' \leftarrow \nabla l_i - \frac{\nabla l_i^T \nabla l_j}{\|\nabla l_j\|^2} \nabla l_j \quad \text{if} \quad \nabla l_i^T \nabla l_j < 0$$
 (B.1)

**CAGrad:** Conflict-Averse Gradient descent (Liu et al., 2024) resolves the gradient conflict by finding an update vector  $d \in \mathbb{R}^m$  that minimizes the worst-case gradient conflict across all the tasks. More specifically, let  $g_i$  be the gradient of task  $i \in [K]$ , and  $g_0$  be the gradient computed from the average loss, CAGrad seeks to solve such an optimization problem:

$$\max_{d \in \mathbb{R}^m} \min_{i \in [K]} \langle g_i, d \rangle \quad \text{s.t.} \quad \|d - g_0\| \le c \|g_0\|$$
 (B.2)

Here,  $c \in [0, 1)$  is a pre-specified hyper-parameter that controls the convergence rate. The optimization problem looks for the best update vector within a local ball centered at the averaged gradient  $g_0$ , which also minimizes the conflict in losses  $\langle g_i, d \rangle$ . **FAMO:** Fast Adaptive Multitask Optimization (Liu et al., 2023a) addresses the under-optimization of certain tasks when using standard gradient descent on averaged losses without incurring the O(K) cost to compute and store all task gradients, which can be significant, especially as the number of tasks increases. FAMO leverages loss history to adaptively adjust task weights, ensuring balanced optimization across tasks while maintaining O(1) space and time complexity per iteration.

### **B.2** Neural Architectures

Neural Architecture methods seek to avoid task interference by learning shared representations, which are fed to the prediction head. Such representations accelerate MTRL.

**CARE:** Contextual Attention-based Representation learning (Sodhani and Zhang, 2021) utilizes metadata associated with the set of tasks to weight the representations learned by a mixture of encoders through the attention mechanism.

**MOORE:** Mixture Of Orthogonal Experts (Hendawy et al., 2024) uses a mixture of experts to encode the state and orthogonalizes those representations to encourage diversity, weighting these representations from a task encoder.

**PaCo:** Parameter Compositional (Sun et al., 2022) learns a shared base parameter set  $\phi = [\phi_1 \cdots \phi_k]$  and task-specific compositional vectors  $w_k$  such that multiplying  $\phi$  and  $w_k$  represents the task parameters  $\theta_k$ .

**Soft-Modularization:** Yang et al. (2020) also uses a mixture of experts to encode the state but also uses a routing network to softly combine the outputs at each layer based on the task.

# Appendix C: Extra Figures

Setting	Final Success Rate	Wall-Clock Time (Hours)
MT10	0.85 [0.81, 0.88]	0.86 [0.86, 0.87]
MT50	0.78 [0.76, 0.80]	7.49 [7.46, 7.52]

Table C.1: Final performance and wall-clock time for Fast TD3 + SimbaV2 (16M) using 50 M(MT10) or 500 M(MT50) frames over 10 seeds. Results show the mean with a 95% bootstrapped confidence interval.

MethodsTasks	M	T10-rand	MT50-rand	
Westerday Fashis	SR ↑	R ↑	SR ↑	R ↑
Vanilla	87.51 [86.99, 87.97]	1032.99 [1016.82, 1045.94]	63.26 [60.91, 65.37]	817.77 [789.13, 842.97]
Multihead	85.19 [81.42, 88.21]	1005.69 [980.87, 1027.55]	74.03 [71.47, 76.58]	954.97 [939.72, 962.84]
GRPO-Vanilla	91.12 [88.32, 93.96]	916.32 [899.83, 933.60]	74.48 [73.31, 75.64]	916.83 [898.69, 935.66]
PCGrad	86.21 [83.19, 88.32]	1038.27 [1022.88, 1050.59]	59.74 [55.52, 64.12]	760.99 [739.05, 772.13]
CAGrad	82.98 [79.23, 86.27]	938.43 [896.83, 972.29]	67.70 [64.76, 70.53]	874.45 [845.62, 903.10]
FAMO	87.26 [82.53, 91.57]	1016.11 [964.30, 1053.88]	74.52 [73.25, 75.75]	961.03 [946.64, 976.15]
PaCo	84.37 [81.61, 86.61]	995.39 [970.20, 1017.21]	70.46 [67.01, 73.32]	917.84 [881.61, 953.14]
SH-MOORE	84.60 [81.55, 87.59]	1022.64 [1006.23, 1037.54]	66.33 [64.56, 68.29]	837.70 [815.00, 860.89]
MH-MOORE	86.94 [83.91, 89.01]	1044.85 [1029.76, 1056.96]	79.46 [77.40, 82.24]	1019.59 [999.24, 1048.88]
SH-CARE	81.51 [78.52, 84.49]	964.28 [948.59, 979.89]	67.51 [66.33, 68.72]	842.04 [822.31, 864.66]
MH-CARE	84.79 [81.34, 87.32]	990.03 [972.35, 1006.34]	71.05 [69.88, 72.30]	863.88 [850.43, 878.51]
Soft-Modularization	82.96 [80.15, 85.66]	994.29 [980.24, 1009.03]	67.72 [65.06, 69.93]	860.41 [832.44, 883.77]

Table C.2: 95% bootstrapped confidence intervals of the Meta-World evaluation metrics used to generate Figure 4.3 and Figure 4.6

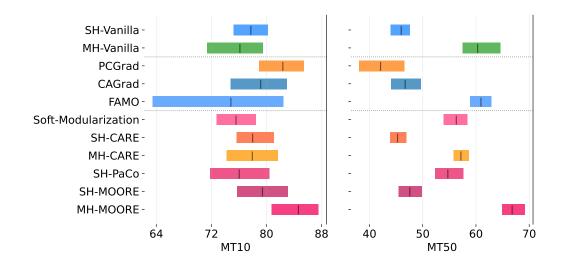


Figure C.1: 95% bootstrapped CIs of the average success rate of all MT-PPO MTRL approaches using 250M frames per run over 10 seeds in Meta-World.

Environments	Horizon	Batch Size	Mean Time (h)	Mean Success Rate
1024	32	32768	13.530000	0.656700
1024	64	65536	14.290000	0.673100
2048	32	65536	7.470000	0.588000
2048	64	131072	7.440000	0.643400
4096	32	131072	4.340000	0.557100
4096	64	262144	4.240000	0.663800
8192	32	262144	2.790000	0.577000
8192	64	524288	2.680000	0.698700
16384	32	524288	2.030000	0.617300
16384	64	1048576	1.960000	0.702800
32768	32	1048576	1.490000	0.633200
32768	64	2097152	1.460000	0.714100

Table C.3: 95% CI of average final performance and mean time across different scaling configurations. Each variant uses 500M frames per run over 5 seeds

	MT10-rand			
Parameters	Vanilla	Vanilla (TE)	Simba V2	SimbaV2 (TE)
100K	87.39 [86.16, 88.10]	88.03 [87.48, 88.75]	_	_
1M	88.01 [87.77, 88.44]	88.63 [88.45, 88.95]	87.71 [87.39, 88.29]	88.09 [87.89, 88.26]
4M	87.77 [86.22, 88.55]	88.76 [88.56, 88.92]	84.76 [77.70, 88.54]	88.03 [87.56, 88.41]
16M	88.32 [87.94, 88.53]	88.51 [88.26, 88.69]	81.30 [78.19, 87.48]	87.81 [87.58, 88.15]
64M	84.59 [77.39, 88.72]	78.56 [76.99, 80.34]	84.58 [78.02, 88.13]	87.79 [87.31, 88.21]
256M	8.03 [0.24, 22.40]	0.19 [0.00, 0.55]	86.25 [83.12, 87.89]	84.63 [78.02, 88.21]

	MT50-rand			
Parameters	Vanilla	Vanilla (TE)	Simba V2	SimbaV2 (TE)
100K	58.33 [50.59, 64.59]	66.95 [58.35, 73.84]	_	_
1M	68.68 [66.00, 70.50]	75.46 [72.33, 78.27]	72.76 [69.37, 76.32]	67.56 [64.51, 69.85]
4M	67.39 [66.86, 67.96]	74.23 [73.63, 74.91]	69.81 [67.68, 72.87]	72.56 [67.78, 76.71]
16M	66.98 [62.89, 69.78]	72.50 [68.76, 76.76]	72.49 [71.52, 74.12]	71.79 [70.31, 72.81]
64M	69.67 [67.86, 71.39]	74.95 [70.57, 78.56]	75.55 [74.86, 76.67]	70.77 [66.62, 73.68]
256M	68.70 [65.57, 71.84]	22.91 [3.54, 59.53]	77.24 [75.84, 79.07]	71.63 [69.27, 73.01]

Table C.4: Mean Success Rate (SR) with 95% bootstrapped confidence intervals. Results are shown as Mean [Lower, Upper].

$\begin{array}{llllllllllllllllllllllllllllllllllll$	Task	Final Success Rate (Mean $\pm$ 95% CI)		
Bin Picking Box Close Button Press O.986 ± 0.021 Button Press O.986 ± 0.021 Button Press Topdown 1.000 ± 0.000 Button Press Topdown 1.000 ± 0.000 Button Press Topdown 1.000 ± 0.000 Button Press Wall O.999 ± 0.001 Coffee Button O.792 ± 0.256 Coffee Pull O.742 ± 0.311 Coffee Push O.776 ± 0.060 Dial Turn O.949 ± 0.011 Disassemble O.000 ± 0.000 Door Close O.951 ± 0.037 Door Lock O.967 ± 0.047 Door Open O.000 ± 0.000 Door Unlock O.833 ± 0.023 Drawer Close O.964 ± 0.000 Drawer Open O.994 ± 0.009 Faucet Close O.996 ± 0.003 Faucet Close O.996 ± 0.003 Faucet Open O.999 ± 0.001 Hammer O.726 ± 0.330 Hand Insert O.919 ± 0.005 Handle Press O.997 ± 0.004 Handle Press Side O.996 ± 0.005 Handle Pull O.996 ± 0.005 Handle Pull O.996 ± 0.005 Handle Pull O.996 ± 0.005 Handle Press O.997 ± 0.004 Handle Press O.997 ± 0.004 Handle Press O.998 ± 0.002 Peg Unplug Side O.998 ± 0.002 Peg Unplug Side O.984 ± 0.002 Peg Unplug Side O.984 ± 0.002 Pick Place O.981 ± 0.015 Pick Place O.981 ± 0.001 Plate Slide Back O.881 ± 0.061 Plate Slide Back O.882 ± 0.062 Push Wall O.003 ← S87 ± 0.014 Shelf Place O.907 ± 0.027 Reach Wall O.877 ± 0.014 Shelf Place O.907 ± 0.027 Stick Plal O.059 ± 0.059 Stick Place O.975 ± 0.015 Window Open O.998 ± 0.001	Assembly	$0.029 \pm 0.025$		
Box Close Button Press Button Press 0.986 ± 0.021 Button Press Topdown 1.000 ± 0.000 Button Press Topdown Vall 1.000 ± 0.000 Button Press Wall 0.999 ± 0.001 Coffee Button Coffee Button 0.792 ± 0.256 Coffee Pull 0.742 ± 0.311 Coffee Push 0.776 ± 0.060 Dial Turn 0.949 ± 0.011 Disassemble 0.000 ± 0.000 Door Close 0.951 ± 0.037 Door Lock 0.967 ± 0.047 Door Open 0.000 ± 0.000 Door Unlock 0.833 ± 0.023 Drawer Close 1.000 ± 0.000 Drawer Open 0.994 ± 0.009 Faucet Close 1.000 ± 0.000 Faucet Close 1.000 ± 0.000 Drawer Open 0.999 ± 0.001 Hammer 0.726 ± 0.330 Hand Insert 0.919 ± 0.005 Handle Press 0.997 ± 0.004 Handle Press 0.997 ± 0.004 Handle Pull 0.996 ± 0.005 Handle Pull 0.996 ± 0.005 Handle Pull 0.998 ± 0.002 Lever Pull 0.739 ± 0.373 Peg Insert Side 0.994 ± 0.009 Peg Unplug Side 0.361 ± 0.361 Pick Out Of Hole Pick Place 0.981 ± 0.001 Plate Slide Back 0.881 ± 0.061 Plate Slide Back 0.881 ± 0.061 Plate Slide Back 0.882 ± 0.062 Push Wall 0.0739 ± 0.077 Push Back 0.882 ± 0.062 Push Wall 0.0739 ± 0.077 Push Back 0.882 ± 0.062 Push Wall 0.0739 ± 0.077 Push Back 0.882 ± 0.062 Push Wall 0.0739 ± 0.077 Push Back 0.882 ± 0.062 Push Wall 0.0739 ± 0.077 Push Back 0.887 ± 0.014 Shelf Place 0.975 ± 0.015 Sheep No.059 Stick Push 0.644 ± 0.091 Sweep No.059 ± 0.059 Stick Push 0.675 ± 0.032 Window Close 0.975 ± 0.015 Window Open	Basketball	$0.886 \pm 0.063$		
Button Press	Bin Picking	$0.890 \pm 0.071$		
Button Press Topdown Button Press Topdown Wall Button Press Topdown Wall Button Press Wall  0.999 ± 0.000 Coffee Button  0.792 ± 0.256 Coffee Pull  0.742 ± 0.311 Coffee Push  0.76 ± 0.060 Dial Turn  0.949 ± 0.011 Disassemble  0.000 ± 0.000 Door Close  0.951 ± 0.037 Door Lock  0.967 ± 0.047 Door Open  0.000 ± 0.000 Door Unlock  0.833 ± 0.023 Drawer Close  1.000 ± 0.000 Drawer Open  0.994 ± 0.009 Faucet Close  1.000 ± 0.000 Faucet Close  0.996 ± 0.003 Faucet Open  1.000 ± 0.000 Hammer  0.726 ± 0.330 Hand Insert  0.919 ± 0.005 Handle Press  0.997 ± 0.004 Handle Press  0.997 ± 0.004 Handle Pull  0.996 ± 0.005 Handle Pull  0.998 ± 0.002 Lever Pull  0.739 ± 0.373 Peg Insert Side  0.998 ± 0.002 Lever Pull  0.739 ± 0.373 Peg Unplug Side  0.994 ± 0.002 Peg Unplug Side  0.984 ± 0.008 Pick Place  0.981 ± 0.015 Pick Place  0.981 ± 0.015 Pish Back  0.881 ± 0.061 Plate Slide Back Side  0.943 ± 0.029 Plate Slide Back  0.881 ± 0.061 Plate Slide Back  0.882 ± 0.062 Push Wall  0.001 ± 0.001 Reach  0.907 ± 0.027 Reach Wall  0.005 ± 0.059 Stick Pull  0.059 ± 0.059 Stick Pull  0.059 ± 0.059 Stick Pull  0.998 ± 0.001	Box Close	$0.000 \pm 0.000$		
Button Press Topdown Wall Button Press Wall Coffee Button Coffee Button Coffee Pull Coffee Pull Coffee Push Dor Tof ± 0.060 Dial Turn Disassemble Door Close Door Lock Door Lock Door Unlock Door Unlock Drawer Close Dawer Open Paucet Close Door Lock Door Ball Door Door Door Unlock Drawer Open Door Unlock Drawer Open Paucet Close Door Ball Door Door Unlock Drawer Open Door Unlock Door Drawer Open Door Door Unlock Door Drawer Open Door Unlock Door Drawer Open Door Door Door Unlock Door Drawer Open Door Door Door Door Door Door Door Doo	Button Press	$0.986 \pm 0.021$		
Button Press Topdown Wall Button Press Wall Coffee Button Coffee Button Coffee Pull Coffee Pull Coffee Push Dor Tof ± 0.060 Dial Turn Disassemble Door Close Door Lock Door Lock Door Unlock Door Unlock Drawer Close Dawer Open Paucet Close Door Lock Door Ball Door Door Door Unlock Drawer Open Door Unlock Drawer Open Paucet Close Door Ball Door Door Unlock Drawer Open Door Unlock Door Drawer Open Door Door Unlock Door Drawer Open Door Unlock Door Drawer Open Door Door Door Unlock Door Drawer Open Door Door Door Door Door Door Door Doo	Button Press Topdown	$1.000 \pm 0.000$		
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Coffee Pull       0.742 ± 0.311         Coffee Push       0.776 ± 0.060         Dial Turn       0.949 ± 0.011         Disassemble       0.000 ± 0.000         Door Close       0.951 ± 0.037         Door Lock       0.967 ± 0.047         Door Open       0.000 ± 0.000         Door Unlock       0.833 ± 0.023         Drawer Close       1.000 ± 0.000         Drawer Open       0.994 ± 0.009         Faucet Close       0.996 ± 0.003         Faucet Open       0.999 ± 0.001         Hammer       0.726 ± 0.330         Hand Insert       0.919 ± 0.005         Handle Press       0.997 ± 0.004         Handle Press Side       1.000 ± 0.000         Handle Pull       0.996 ± 0.005         Handle Pull       0.996 ± 0.005         Handle Pull       0.998 ± 0.002         Lever Pull       0.739 ± 0.033         Peg Insert Side       0.994 ± 0.002         Peg Unplug Side       0.361 ± 0.361         Pick Out Of Hole       0.984 ± 0.008         Pick Place       0.981 ± 0.015         Pick Place Wall       0.043 ± 0.023         Plate Slide Back       0.881 ± 0.061         Plate Slide Back       0.881 ± 0.023 </td <td>Button Press Wall</td> <td><math>0.999 \pm 0.001</math></td>	Button Press Wall	$0.999 \pm 0.001$		
Coffee Push       0.776 ± 0.060         Dial Turn       0.949 ± 0.011         Disassemble       0.000 ± 0.000         Door Close       0.951 ± 0.037         Door Lock       0.967 ± 0.047         Door Open       0.000 ± 0.000         Door Unlock       0.833 ± 0.023         Drawer Close       1.000 ± 0.000         Drawer Open       0.994 ± 0.009         Faucet Close       0.996 ± 0.003         Faucet Open       0.999 ± 0.001         Hammer       0.726 ± 0.330         Hand Insert       0.919 ± 0.005         Handle Press       0.997 ± 0.004         Handle Press Side       1.000 ± 0.000         Handle Pull       0.998 ± 0.002         Lever Pull       0.739 ± 0.373         Peg Insert Side       0.994 ± 0.002         Peg Unplug Side       0.361 ± 0.361         Pick Out Of Hole       0.984 ± 0.008         Pick Place       0.981 ± 0.015         Pick Place Wall       0.043 ± 0.041         Plate Slide Back       0.845 ± 0.023         Plate Slide Back       0.881 ± 0.061         Plate Slide Back       0.881 ± 0.001         Push Wall       0.001 ± 0.001         Reach       0.907 ± 0.027	Coffee Button	$0.792 \pm 0.256$		
Dial Turn       0.949 ± 0.011         Disassemble       0.000 ± 0.000         Door Close       0.951 ± 0.037         Door Lock       0.967 ± 0.047         Door Open       0.000 ± 0.000         Door Unlock       0.833 ± 0.023         Drawer Close       1.000 ± 0.000         Drawer Open       0.994 ± 0.009         Faucet Close       0.996 ± 0.003         Faucet Open       0.999 ± 0.001         Hammer       0.726 ± 0.330         Hand Insert       0.919 ± 0.005         Handle Press       0.997 ± 0.004         Handle Press       0.997 ± 0.004         Handle Pull       0.996 ± 0.005         Handle Pull       0.996 ± 0.005         Handle Pull       0.996 ± 0.004         Handle Pull       0.997 ± 0.004         Handle Pull       0.998 ± 0.002         Lever Pull       0.739 ± 0.073         Peg Insert Side       0.998 ± 0.002         Peg Unplug Side       0.361 ± 0.361         Pick Out Of Hole       0.984 ± 0.008         Pick Place       0.981 ± 0.015         Pick Place       0.981 ± 0.015         Pick Place Side Back       0.845 ± 0.023         Plate Slide Back       0.845 ± 0.023	Coffee Pull	$0.742 \pm 0.311$		
$\begin{array}{llllllllllllllllllllllllllllllllllll$	Coffee Push	$0.776 \pm 0.060$		
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Window Close $0.975 \pm 0.015$ Window Open $0.998 \pm 0.001$	=			
Window Open $0.998 \pm 0.001$	-			
<u> </u>				
Average (all tasks) $0.753 \pm 0.091$	<u> </u>			
	Average (all tasks)	$0.753 \pm 0.091$		

Table C.5: Final success rate for single-task runs. Each task's performance is the mean across seeds, reported with its 95% CI margin of error. The global average is the mean of these per-task averages, also with a 95% CI.

# Appendix D: Hyperparamters

In this section, we provide hyperparameter values for each MTRL approach.

**Hardware Information** All experiments related to wall-clock time were run on an NVIDIA A100, and otherwise could have been run on an NVIDIA RTX A5500.

Description	value	variable_name
Number of environments	24576 / 24576	num_envs
Network hidden sizes	[256, 128, 64]	network.mlp.units
Minibatch size	16384 / 32768	minibatch_size
Horizon length	32 5	horizon
Mini-epochs Number of epochs	5 1272 / 1272	mini_epochs max_epochs
Episode length	150	episodeLength
Discount factor	0.99	gamma
Clip ratio	0.2	e_clip
Policy entropy coefficient	.005	entropy_coef
Optimizer learning rate	5e-4	learning_rate
Optimizer learning schedule	fixed	lr_schedule
Advantage estimation tau	0.95	tau
Value Normalization by task	True	normalize_value
Input Normalization by task	True	normalize_input
Separate critic and policy networks	True	network.separate
CARE-Specific Hyperparameters	[001 001 001]	
Network hidden sizes  Mixture of Excelers corports	[400,400,400]	care.units
Mixture of Encoders experts Mixture of Encoders layers	6 2	encoder.num_experts
Mixture of Encoders layers Mixture of Encoders hidden dim	50 50	encoder.num_layers encoder.D
Attention temperature	1.0	encoder.temperature
Post-Attention MLP hidden sizes	[50.50]	attention.units
Context encoder hidden sizes	[50,50]	context_encoder.units
Context encoder bias	True	context_encoder.bias
MOORE-Specific Hyperparameters		
MoE experts	4 / 6	moore.num_experts
MoE layers	3	moore.num_layers
MoE hidden dim	400	moore.D
Activation before/after task encoding weighting	[Linear, Tanh]	moore.agg_activation
Task encoder hidden sizes Task encoder bias	[256]	task_encoder.units task_encoder.bias
	False	task_encoder.bias
PaCo-Specific Hyperparameters	- 100	
Number of Compositional Vectors	5 / 20	paco.K
Network hidden dim Network layers	400 3	paco.D
Task encoder bias	False	paco.num_layers task_encoder.bias
Task encoder init	orthogonal	task_encoder.compositional_initializer
Task encoder activation	softmax	task_encoder.activation
Soft-Modularization-Specific Hyperparameters		
MoE experts	2	soft_network.num_experts
MoE layers	4	soft_network.num_layer
State encoder hidden sizes Task encoder hidden sizes	[256,256]	state_encoder.units
	[256]	task_encoder.units
PCGrad Hyperparameters  Number of environments	24576 / 16294	num onve
Number of environments Project actor gradient	24576 / 16384 False	num_envs project_actor_gradient
Project critic gradient	True	project_critic_gradient
CAGrad Hyperparameters	1140	projectionegradient
Number of environments	24576 / 6144	num_envs
Project actor gradient	False	project_actor_gradient
Project critic gradient	True	project_critic_gradient
Local ball radius for searching update vector	0.4	c
FAMO Hyperparameters		
Regularization coefficient	1e-3	gamma
T	1e-3	w_lr
Learning rate of the task logits		
Clipping value of the task logits Normalize the task logits gradients	1e-2 True	epsilon norm_w_grad

Table D.1: Hyperparameters used for MTPPO. A  $^\prime/^\prime$  indicates the value used for Meta-World's MT10/MT50 respectively, and otherwise is identical for each setting.

Description	value	variable_name
Number of environments	4096 / 24576	num_envs
Minibatch size	16384 / 76800	$minibatch\_size$
Episode length	150	episodeLength
Horizon length	150	horizon
Mini-epochs	5	$\min_{\text{epochs}}$
Number of epochs	1908 / 1272	$\max_{\text{epochs}}$
Discount factor	0.99	gamma
Clip ratio	0.2	$e_{-}$ clip
Policy entropy coefficient	.005	$entropy\_coef$
Optimizer learning rate	5e-4	learning_rate
Optimizer learning schedule	fixed	$lr\_schedule$
Advantage estimation tau	0.95	tau
Value Normalization by task	True	$normalize\_value$
Input Normalization by task	True	$normalize\_input$
Separate critic and policy networks	True	network.separate

Table D.2: Hyperparameters used for MT-GRPO in MT10 / MT50. A '/' indicates the value used for MT10/MT50 respectively and otherwise is identical for each setting.

Description	value	variable_name
Number of environments	8192	num_envs
Gamma	.99	gamma
Peng's Q(lambda)	.5	q_lambda
Number of minibatches	4	$num\_minibatches$
Episode length	500	episodeLength
Bang-off-Bang	3	binsPerDim
Action Scale	.005	actionScale
Mini epochs	8	$mini_{epochs}$
Max grad norm	10.0	$\max\_grad\_norm$
Horizon	16	horizon
Start epsilon	1.0	start
End epsilon	0.005	end
Decay epsilon	True	decay_epsilon
Fraction of exploration steps	.005	$exploration\_fraction$
Critic learning rate	3e-4	$\operatorname{critic\_lr}$
Anneal learning rate	True	$anneal\_lr$
Value Normalization by task	False	$normalize\_value$
Input Normalization by task	False	$normalize\_input$
Use residual connections	True	q.residual_network
Number of LayerNormAndResidualMLPs	2	q.num_blocks
Network hidden dim	256	q.D
Batch norm input	False	q.norm_first_layer

Table D.3: Hyperparameters used for MT-PQN in MT10.

Description	value	variable_name
Number of environments	4096	num_envs
Network hidden sizes	[512, 256, 128]	network.mlp.units
Gamma	.99	gamma
Separate critic and policy networks	True	network.separate
Number of Gradient steps per epoch	32	gradient_steps_per_itr
Learnable temperature	True	$learnable_{-}$ $temperature$
Use distangeled alpha	True	$use\_disentangled\_alpha$
Initial alpha	1	${ m init\_alpha}$
Alpha learning rate	5e-3	$alpha\_lr$
Critic learning rate	5e-4	$\operatorname{critic\_lr}$
Critic tau	.01	$\operatorname{critic\_tau}$
Batch size	8192	$batch\_size$
N-step reward	16	nstep
Grad norm	.5	${ m grad\_norm}$
Horizon	1	horizon
Value Normalization by task	True	$normalize\_value$
Input Normalization by task	True	${ m normalize\_input}$
Replay Buffer Size	5000000	replay_buffer_size
Target entropy coef	1.0	target_entropy_coef

Table D.4: Hyperparameters used for MT-SAC in MT10/MT50. A '/' indicates the value used for MT10/MT50 respectively and otherwise is identical for each setting. MT-SAC is very sensitive to the number of environments and replay ratio in the massively parallel regime.

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### Vita

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This thesis was typeset with  $L\!\!\!\!/ T_E \! X^\dagger$  by the author.

<sup>†</sup>LATEX is a document preparation system developed by Leslie Lamport as a special version of Donald Knuth's TEX Program.